Class - X

Mathematics-Basic (241)

Sample Question Paper 2019-20

Max. Marks: 80

Duration: 3 hrs.

General Instructions:								
a) All b) Th	a) All questions are compulsory							
		<i>.</i>						
c) Se	ection A comprises of 20 questions of 1 mark each. Section B comprises o	16						
que	estions of 2 marks each. Section C comprises of 8 questions of 3 marks ea	ach.						
Sec	ction D comprises 6 questions of 4 marks each.							
d) Th	nere is no overall choice. However internal choices have been provided in	two						
que eac	questions of 1 mark each, two questions of 2 marks each, three questions of 3 marks each and three questions of 4 marks each. You have to attempt only one of the							
alte	ernatives in all such questions.							
e) Us	e of calculators is not permitted.							
	<u>SECTION - A</u>							
0.1	10 and multiple choice muching. Calact the most engraphics, ensure from th							
aiven	options.	е						
3								
1.	HCF of 168 and 126 is 1							
	(a) 21 (b) 42 (c) 14 (d) 18							
2.	Empirical relationship between the three measures of central tendency is 1							

	(a) 2 Mean = 3 Median - Mode (b) 2 Mode = 3							
	Median - Mean							
	(c) Mode = 2 Mean - 3 Median (d) 3 Med	ian = 2						
	Mode + Mean							
3.	In the given figure, if TP and TQ are tangents to a circle with centre	e O, so '	1					
	that ∠POQ = 110°, then ∠PTQ is							
	(a) 110° (b) 90°							
4.	325 can be expressed as a product of its primes as		1					
	(a) $5^2 \times 7$ (b) $5^2 \times 13$							
	(c) 5×13^2 (d) $2 \times 3^2 \times 5^2$							
	CloseDegult							
	Udsskesulli							
5.	One card is drawn from a well shuffled deck of 52 cards. The probability							
	that it is black queen is							
	(a) $\frac{1}{26}$ (b) $\frac{1}{12}$ (c) $\frac{1}{52}$	(d) $\frac{2}{12}$						
		15						
6.	The sum of the zeroes of the polynomial $2x^2-8x + 6$ is							
	(a) - 3 (b) 3 (c) - 4							
	(d) 4							
7.	Which of the following is the decimal expansion of an irrational num	ber ·	1					
	(a) 4.561 (b) 0.12 (c) 5.010010001 (d)	6.03						

8.	The following figure shows the graph of $y = p(x)$, where $p(x)$ is a	1							
	polynomial in variable x. The number of zeroes of the polynomial p(x) is								
	(a) 1 (b) 2 (c)3 (d) 4								
	vî								
	x								
9.	The distance of the point P (3, - 4) from the origin is	1							
	(a) 7 units (b) 5 units (c)4 units								
	(d) 3 units								
10	The mid point of the line segment joining the points $(-5, 7)$ and $(-1, 3)$ is	1							
10.	(a) (-3, 7) (b) (-3, 5) (c) (-1, 5) (c) (-1, 5)								
(11 -	15) Fill in the blanks:								
11.	The point which divides the line segment joining the points A (0, 5) and	1							
	B (5, 0) internally in the ratio 2:3 is								
12.	The pair of lines represented by the equations $2x+y+3 = 0$ and $4x+ky+6 =$	1							
	0 will be parallel if value of k is								
	OR								
	If the quadratic equation $x^2 - 2x + k = 0$ has equal roots, then value of k								

	is								
13.	The value of sin 60° cos 30° + sin 30° cos 60° is	1							
14.	Value of cos 0°. Cos 30° .cos 45° . cos 60° . cos 90° is 1								
15.	The sides of two similar triangles are in the ratio 2:3, then the areas of these triangles are in the ratio								
(16 -	20) Answer the following :								
16.	\triangle PQR is right angled isosceles triangle, right angled at R. Find value of sin P.	1							
	OR								
	If 15 cot A = 8, then find value of cosec A.								
17.	If area of quadrant of a circle is 38.5 cm ² then find its diameter (use $\pi = \frac{22}{7}$)	1							
18.	A dice is thrown once. Find the probability of getting a prime number.	1							
19.	In the given fig. If DE BC Find EC.	1							
	3 cm B C $1.5 cm$ $1 cm$ E C								

20.	Find the common difference of the A.P whose first term is 12 and fifth	1							
	term is 0.								
	<u>SECTION - B</u>								
21.	If two coins are tossed simultaneously. Find the probability of getting 2	2							
	heads.								
22.	A lot of 25 builds contain 5 defective ones. One build is drawn at random	2							
	from the lot. What is the probability that the build is good.								
	OR								
	Two dice are thrown simultaneously at random. Find the probability of								
	getting a sum of eight.								
23.	Prove that the tangents drawn at the ends of a diameter of a circle are								
	parallel.								
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24.	Show that $\tan 48^{\circ} \tan 23^{\circ} \tan 42^{\circ} \tan 67^{\circ} = 1$.	2							
	OR								
	Evaluate cos 48º cos 42º – sin 48º sin 42º								
25.	Find the area of circle whose circumference is 22cm.	2							
26	Read the following passage and answer the questions that follows:								
	A teacher told 10 students to write a polynomial on the black board.								
	Students wrote								
	1. $x^2 + 2$ 6. $x - 3$								
	$\begin{array}{cccccccccccccccccccccccccccccccccccc$								
	$\begin{array}{cccccccccccccccccccccccccccccccccccc$								
	4. $x^3 + 2x^2 + 1$ 9. $2x^3 - x^2$								

	5. $x^2 - 2x + 1$ 10. $x^4 - 1$							
	(i) How many students wrote cubic polynomial							
	(ii) Divide the polynomial $(x^2 + 2x + 1)$ by $(x + 1)$.							
	SECTION C							
27.	Find the zeroes of the quadratic polynomial $x^2 - 3x - 10$ and verify the relationship between the zeroes and coefficient.	3						
28.	Draw a circle of radius 4 cm. From the point 7 cm away from its centre, construct the pair of tangents to the circle.	3						
	Draw a line segment of length 8 cm and divide it in the ratio 2:3							
29.	Following figure depicts a park where two opposite sides are parallel and left and right ends are semi-circular in shape. It has a 7m wide track for walking CROOTENT The semi-circular in shape and the track is 4066m². Is she right? Explain.	3						
30.	Prove that $\frac{\cot A - \cos A}{\cot A + \cos A} = \frac{\csc A - 1}{\csc A + 1}$	3						
	OR							
	Prove that: $\frac{\tan A + \sin A}{\tan A - \sin A} = \frac{\sec A + 1}{\sec A - 1}$							

31.	Prove that 5 - $\sqrt{3}$ is irrational, given that $\sqrt{3}$ is irrational.	3						
	OR							
	An army contingent of 616 members is to march behind an army band of							
	32 members in a parade. The two groups are to march in the same							
	number of columns. What is the maximum number of columns in which							
	they can march ?							
32.	Prove that the lengths of tangents drawn from an external point to a circle	3						
	are equal.							
33.	Read the following passage and answer the questions that follows:	3						
	In a class room, four students Sita, Gita, Rita and Anita are sitting at $A(2,4)$, $B(4,7)$, $O(2,4)$, $D(4,1)$, respectively. There is now students Ariali is in							
	A(3,4), B(6,7), C(9,4), D(6,1) respectively. Then a new student Anjali joins							
	Kows 5							
	3							
	2							
	1 2 3 4 5 6 7 8 9 10							
	Columns							
(i) Teacher tells Anjali to sit in the middle of the four students. Find the								
	coordinates of the position where she can sit.							
	(ii) Calculate the distance between Sita and Anita.(iii) Which two students are equidistant from Gita.							

34.	Solve $2x + 3y = 11$ and $x - 2y = -12$ algebraically and hence find the value	3					
	of 'm' for which $y = mx + 3$.						
	SECTION D						
35.	Find two consecutive positive integers sum of whose squares is 365.	4					
36.	If the sum of first 14 terms of an A.P. is 1050 and its first term is 10,	4					
	find the 20 th term.						
	OR						
	The first term of an A.P. is 5, the last term is 45 and sum is 400. Find						
	the number of terms and the common difference.						
37.	As observed from the top of a 75m high light house above the sea level,	4					
	the angles of depression of two ships are 30° and 45° respectively If one						
	ship is exactly behind the other on the same side of the light house and						
	in the same straight line, find the distance between the two ships. (use $\sqrt{3}$						
	= 1.732)						
38.	If a line is drawn parallel to one side of a triangle to intersect the other	4					
	two sides in distinct points, then prove that the other two sides are divided						
	in the same ratio.						
	OR						
	State and prove the Pythagoras theorem.						
39.	A copper rod of diameter 1 cm and length 8 cm is drawn in to a wire of	4					
	length 18 m of uniform thickness. Find the thickness of wire.						
	Or						

	A metallic sphere of radius 4.2 cm is melted and recast into the shape of							
	a cylinder of radius 6 cm. Find the height of the cylinder.							
40.	The following distribution gives the daily income of 50 workers of a factory							4
		Daily income	400-	420-440	440-460	460-480	480-500	
			420					
		Number of	12	14	8	6	10	
		workers						
	Convert this distribution to less than type of cumulative frequency							
	distribu	ution and draw its	ogive.					

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